

Stat 202 2015~~5~~ W11 Fri

(Pg 1)

New
and
Review

Doing Tests of Significance in StatCrunch

We are going to cover 3 categories of tests of significance

Stat \rightarrow $\left\{ \begin{array}{l} Z \text{ Stats} \\ T \text{ Stats} \\ \text{Proportion Stats} \end{array} \right.$

We've covered \rightarrow One sample

The options are $\left\{ \begin{array}{l} \text{With Data} \\ \text{With Summary} \end{array} \right.$

With Data asks for a column of numbers - the observations

With Summary asks for Summary stats

Sample mean \bar{X}

Standard dev σ

Sample size n

"With data" option requires σ as well, say it's optional but I don't think so

Derives \bar{X} and n from column of numbers

Both ask for

o Hypothesis test for μ
(test of significance involving mean of population)

Null hypothesis $H_0 : \mu = \boxed{\mu_0}$

enter value for hypothesized mean (0 for default)

Alternative hypothesis H_a $\mu \neq$
 $<$
 $>$

} value above \rightarrow one sided $>, <$
two sided \neq

o Confidence interval

We haven't covered this yet but we will

The test statistic for this test is

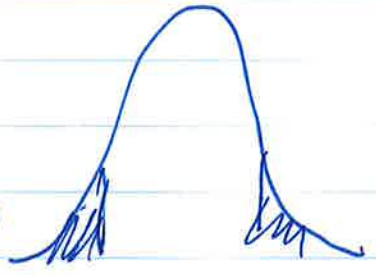
$$Z = \frac{\bar{X} - \mu_0}{\sigma / \sqrt{n}}$$

The distribution of the test statistic is $N(0,1)$

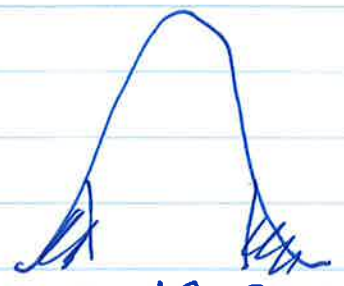
The p-value is the area under the bell curve $N(0,1)$ ~~with~~ ^{and over values which are} extreme or more extreme as the test statistic Z .

one sided
versus
two sided
alternatives

$z = 1.7$

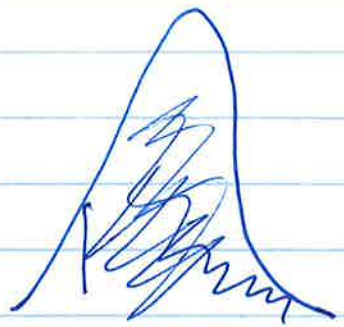
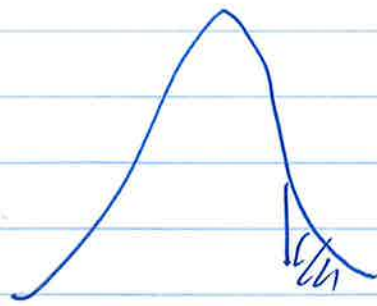


$z = -1.7$

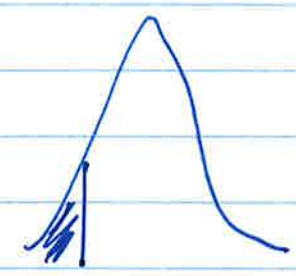
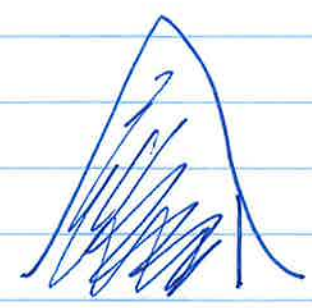


$\mu \neq \mu_0$

$z = -1.7$ $z = 1.7$



$\mu > \mu_0$



$\mu < \mu_0$

Significance - decide upon α ahead
of time - α is level of significance
traditionally $\alpha = 0.05$

If $p < \alpha$ significant at level α
 $p > \alpha$ insignificant at level α

A significant result means that the probability of seeing results as extreme or more extreme than what is actually observed in the data are sufficiently small assuming the null hypothesis is true is sufficiently small to reject the statement that the null hypothesis is true.

How small is that probability?
That is given by the p -value!